

Date (week commencing)	Numbers to learn
01/11/21	5.1 - 5.8 3.1 - 3.3 4.1
08/11/21	5.1 – 6.4
15/11/21	6.1-6.7 2.1-2.3
22/11/21	5.1 – 6.7
29/11/21	1.1 - 2.6 5.1 - 5.8
06/12/21	2.7 - 4.5 6.1 - 6.7
13/12/21	1.1 – 6.7

# Learning means...

I am using look >> cover >> write >> check at least twice for this week's facts

### and/or

I made flash cards ( "Question" on one side and "Answer" on the other) for the facts and got someone to test me on them at least twice

## so that...

I achieve the minimum score of 8/10 on the quiz



#### Year 9 – Maths – Autumn 2

Unit 5 - sequences				Unit 6 – expanding and factorising			
No.	Question	Answer	No.	Question	Answer	Example	
5.1	Linear/arithmetic sequence	A number pattern which increases or decreases by the same amount each time	6.1	Like Terms	Terms that have the same variables, and each variable has the same index	$2x^2y$ and $4x^2y$ 2xy and $4xy$	
5.2	Common difference	The amount the sequence increases or decreases by between each term	6.2	Simplify	Rewrite the expression in an easier to remember form.	Collect like terms Cancel down algebraic fractions	
5.3	Geometric sequence	A number pattern that uses multiplication between each term	6.3	Expand Factorise	Multiply everything inside the bracket by the value in front of the bracket Find a common factor of each term	$2(x+4) \equiv 2x+8$	
5.4	Term (sequence)	A number in a sequence				$2x + 8 \equiv 2(x + 4)$	
5.5	The nth term	The general rule for a number pattern	6.4		and put the brackets back in	$2x^{2} + 6 = 2(x + 1)$ $2x^{2} + 4x \equiv 2x(x + 4)$	
5.6	n (sequence)	The term number in the sequence e.g. when n = 10, this is the 10 <sup>th</sup> term in the sequence	6.5	Solve	Find the unknown letter	2x + 1 = 7 $2x = 6$ $x = 3$	
5.7	The first 10 square numbers are	1, 4, 9, 16, 25, 36, 49, 64, 81, 100, 121, 144	6.6	,	The variable on its own that the rest	a = 2b + c a = the subject	
5.8	The first 5 cube numbers are	1, 8, 27, 64, 125			is "equal to"		
			6.7	Rearrange	Make the given letter the subject	Make b the subject $a = 2b + c$ $\frac{a - c}{2} = b$ b is now the subject because it's on its own on one side of the equals sign	



#### Year 9 – Maths – Autumn 1

y = x + 2y = xy = x - 2

y = 3x + 2 $y = -\frac{1}{3}x - 1$ 

Unit 1 - coordinates				Unit 2 – y = mx + c			
No.	Question	Answer	Example	No.	Question	Answer	Example
1.1	Coordinates are always	(x, y)	(-5, -4)	2.1	Vertical lines are always	x = where all the x coordinates are the same	
1.2	Midpoint of a line segment	$(\frac{x_1+x_2}{2}, \frac{y+y_2}{2})$	$\left(\frac{x_1 + x_2}{2}, \frac{y_1 + y_2}{2}\right)$ $(x_1, y_1)$	2.2	Horizontal lines are always	y = where all the y coordinates are the same	y = 6
No.	Question	Unit 3 - ) Answer	proportion Example	2.3	m	Gradient	Example: $y = 2x - 4$
3.1	Direct proportion	As one variable increases, the other variable increases	Ехаптріе	2.4	To find the gradient	$\frac{Difference in y}{Difference in x} = \frac{y_2 - y_1}{x_2 - x_1}$	$\begin{array}{c c}  & & & & \\  & & & & \\  & & & & \\  & & & &$
3.2	Inverse proportion	As one variable increases, the other variable decreases		2.5	c	Y intercept	-10 -8 -6 -4 -2 -2 -2 -4 -6 -8 -10 -4 -2 -2 -4 -4 -2 -2 -4 -4 -4 -2 -2 -4 -4 -4 -4 -4 -4 -4 -4 -4 -4 -4 -4 -4
3.3	The unitary method	Find one first		2.6	To find the y–intercept	The y coordinate when x = 0 This is where the line crosses the y axis	-10
Unit 4 – standard form				2.7	Parallel lines	Have the same gradient	y = x + 2
No. 4.1 4.2	Question Standard form 10 <sup>-3</sup>	Answer A way of writing very big or very small numbers using powers of 10 0.001	<b>Example</b> 4,000,000 is 4 x 10 <sup>6</sup>				$\begin{array}{c} & & & \\ & & & & \\ & & & \\ & & & & \\ & & & \\ &$
4.3	10-2	0.01		2.8	Perpendicular lines	1	5 y / y = 3x +
4.4	10 <sup>-1</sup>	0.1				gradient	$\begin{array}{c c} & 5 & y \\ & 4 \\ & 3 \\ & 3 \end{array} $
4.5 4.6	10 <sup>3</sup>	1 10					
4.7	10 <sup>2</sup>	100					-5 -4 -3 -2 -1 1 2 3 4 5
4.8	10 <sup>3</sup>	1000					-2